

# C H E A T S H E E T

## AXIAL

- T · TENSION
- C · COMPRESSION

- COLUMN
- CABLE
- TRUSS
- BRACE

$$F = \frac{P}{A}$$

F = STRESS  
P = LOAD (# ORK)  
A = CROSS SECT. AREA (IN<sup>2</sup> OR FT<sup>2</sup>)

UNIT STRAIN -

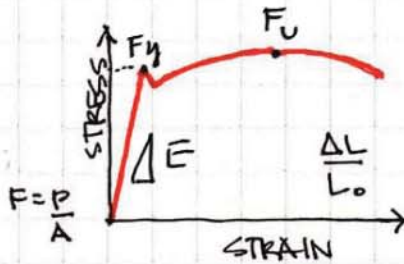
$$E = \frac{\Delta L}{L_0}$$

E = MODULUS OF ELASTICITY

E =  $\frac{\text{RISE}}{\text{RUN}}$  = SLOPE

E =  $\frac{\text{STRESS}}{\text{STRAIN}}$

E = 29,000 ksi  
STEEL



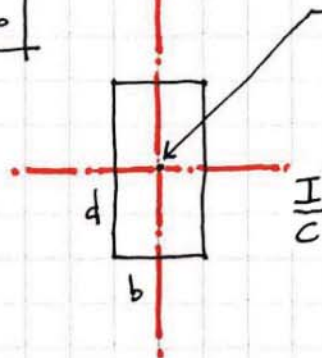
$$\Delta L = \frac{P L_0}{A E}$$

$\Delta$  =  
L =  
P = LOAD  
L<sub>0</sub> = ORIG. LENGTH  
A = AREA  
E = MOD. OF ELAST.

TEMP

$$\Delta L = \alpha (\Delta T) L_0$$

$\alpha$  STEEL = .0000065



CENTER OF GRAVITY

A = b x d → SHEAR

$\frac{I}{C} = S = \frac{b d^2}{6}$  → MOMENT

I =  $\frac{b d^3}{12}$  → DEFLECTION

## PERPENDICULAR

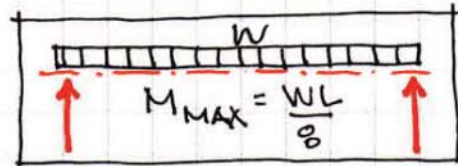
- V · SHEAR
- M · BENDING
- $\Delta$  · DEFLECTION

- DECK
- FLOOR
- JOIST
- BEAM
- ROOF

Wood  $F_v = \frac{3V}{2A}$  : SHEAR  $A = b \times d$

· WOOD  
· STEEL  
· CONC  $F_b = \frac{M}{S}$  : BENDING  
STRENGTH, FLEXURE

$$S = \frac{b d^2}{6}$$



$$\Delta = \frac{\text{CONST} \frac{W}{P} L^3}{EI} \text{ (STIFFNESS)}$$

$$I = \frac{b d^3}{12} \quad \Delta_{\text{ALLOW}} = \frac{L}{240}, \frac{L}{360}$$

- IS CODE SPECIFIED